# 2. Cutting the Air

Howell Fu New Zealand 2012



#### The Problem

 When a piece of thread (e.g. nylon) is whirled around with a small mass attached to its free end, a distinct noise is emitted. Study the origin of this noise and the relevant parameters.



### Presentation Structure

- Definitions
- Initial observations
- Experimental set-ups 1, 2, 3
- Methods of data analysis
- Theories
- Results
- Conclusion

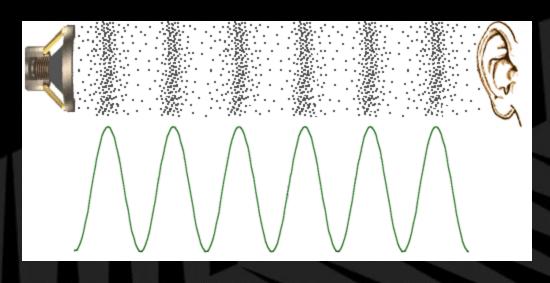


### Definitions – "Noise"

- Unwanted sound
- Non-speech sound
- Everyday usage: synonym of sound
- Not necessarily a single frequency

#### Sound

- Mechanical vibration of air particles
- Oscillations, creating regions of high and low pressure



### **Definitions - Other**

- "Whirled around" in a circle
- "Thread" flexible, long, thin piece of material. Not necessarily cylindrical crosssection.

#### The Noise

- Similar to a whistle
- Not a "clean note" multiple frequencies
- Not very loud hard to record and differentiate from background noise

LIVE DEMONSTRATION

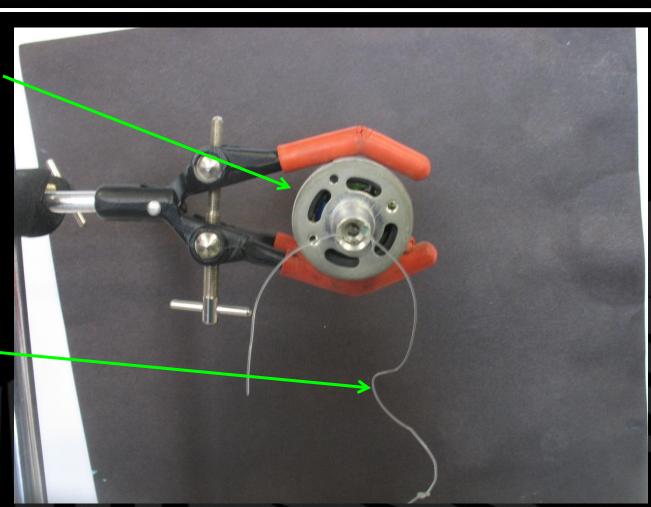
# Experiments - 1



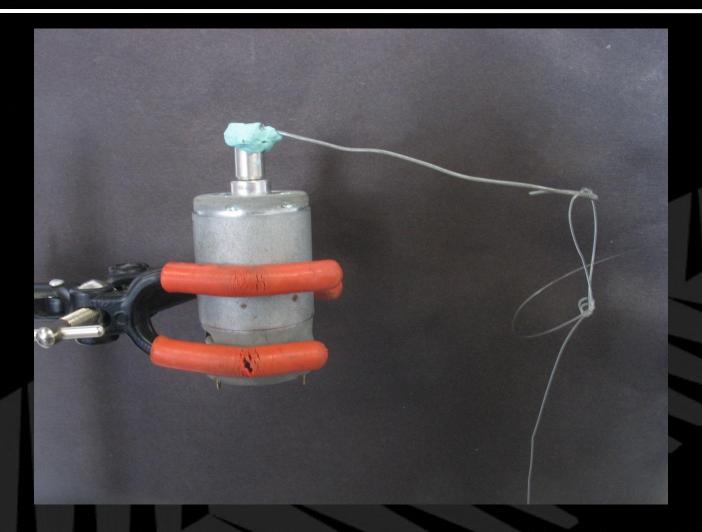
# Experiment 2



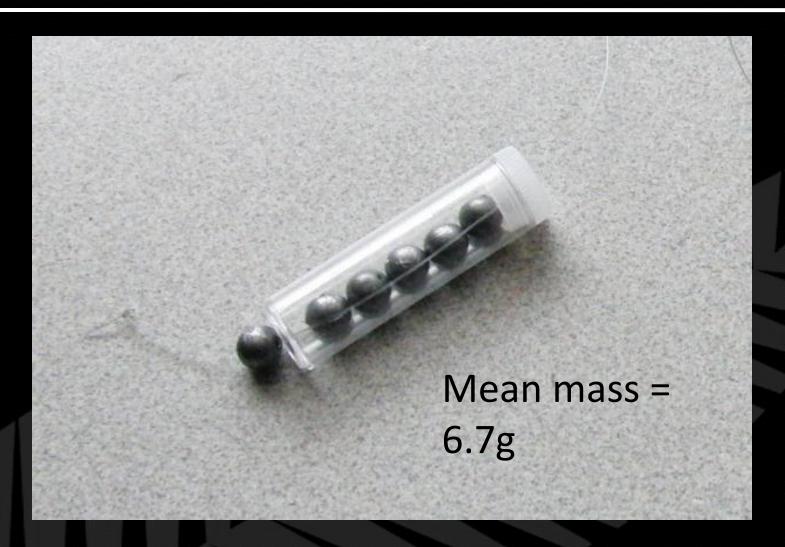
Thread



# Experiment 3



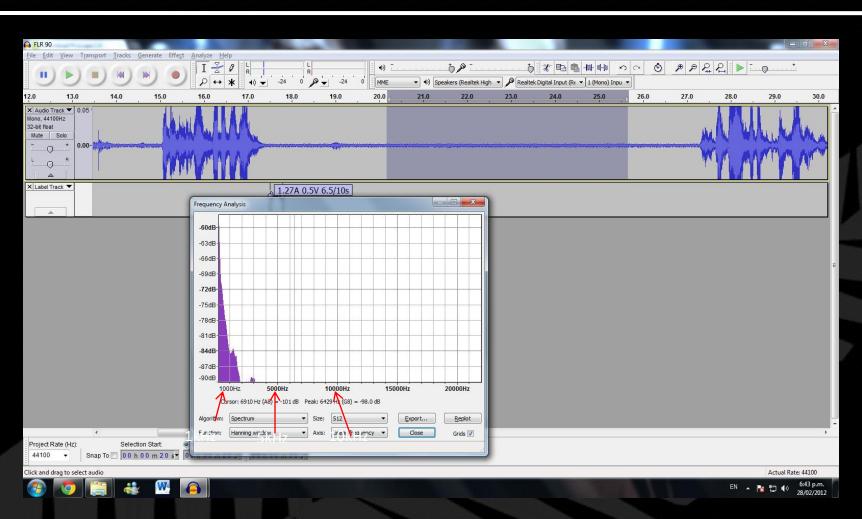
### Masses



### Variables Tested

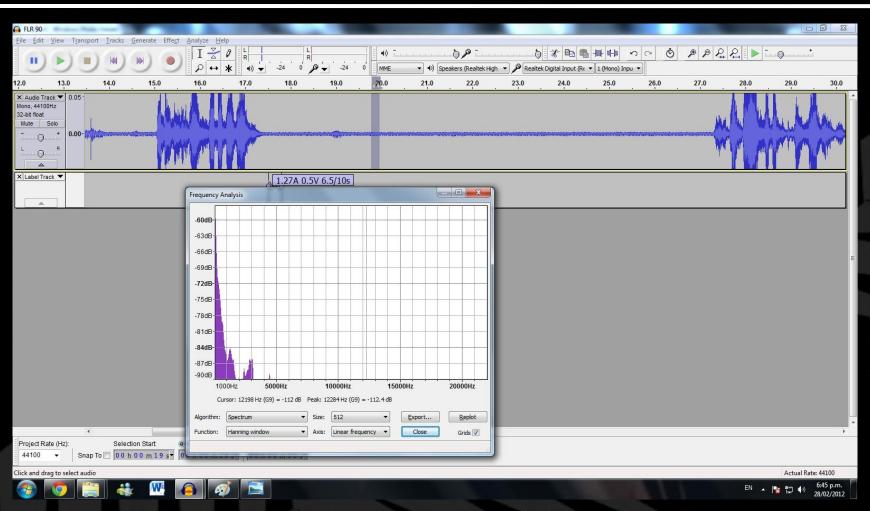
- Mass
- Thread length
- Thread diameter
- Speed of rotation
- Mass shape

#### **Results Analysis**





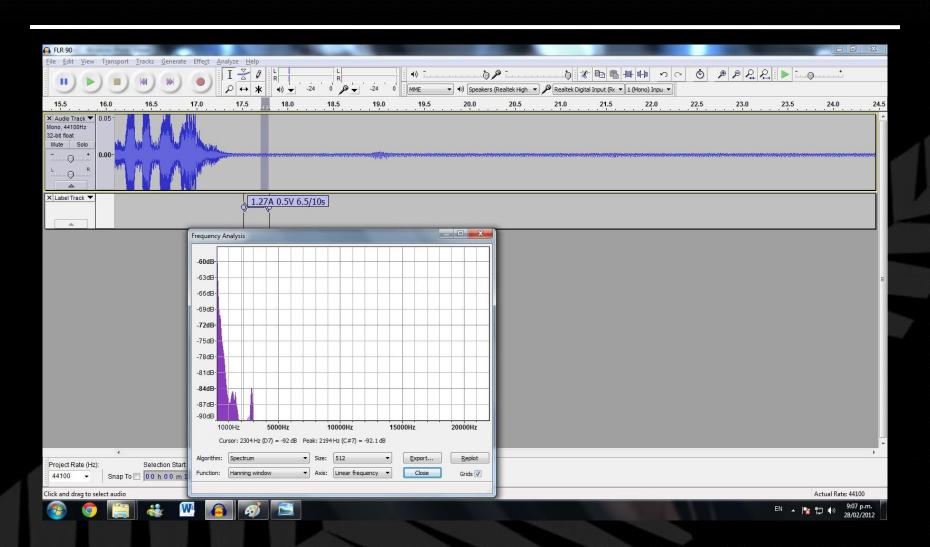
### Randomness - Demonstration



Depending on where you take the sound sample in the same recording, the frequency is subject to some random variation: compare with next slide

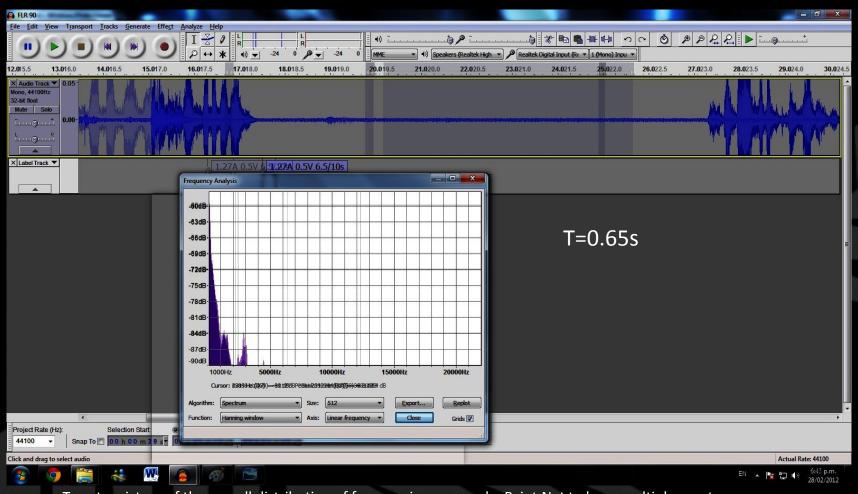


### Randomness - Demonstration





# Layering



To get a picture of the overall distribution of frequencies, we used a Paint.Net to layer multiple spectra on top of each other. Overlapping peaks show up as darker purple. We can see where there is DEFINITELY a sound and where it might just be one random occurrence.

- Standing waves in the thread
- E.g. String instruments

• 
$$f = \frac{n}{2L} \sqrt{\frac{T}{\mu}}$$

Where f = frequency / Hz

n = harmonic no.#

L = string length / m

T = tension in string / N

 $\mu$  = mass per unit length of string / kg  $m^{-1}$ 

$$T = F_c = mr\omega^2$$

where T = tension in string

 $F_c$  = centripetal force / N

m = mass on the end / kg

r = radius of spin / m

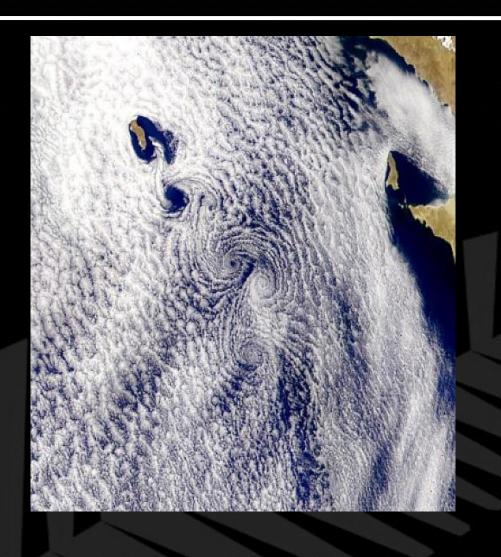
 $\omega$  = angular velocity/rad $s^{-1}$ 

 Advanced Physics. S. Adams & J. Allday. Oxford University Press, 2000

- Von Kárman vortex streets
- Air moving past/around obstructing object results in turbulent flow in its "wake"



Gif plays in presentation mode.



- Vortices form on alternating sides
- High and low pressure regions, alternating at a set frequency, are perceived by ears as sound waves



- Frequency predicted by Strouhal number, Sr
- Dimensionless

• 
$$Sr = \frac{fd}{V}$$

• Sr=0.198 $(1 - \frac{19.7}{Re})$ 

•  $\approx$ 0.20 (accurate to 2 d.p.)

• 
$$f_S = \frac{0.2V}{d}$$

f= frequency of shedding /Hz d= characteristic length-diameter of thread/m V= flow velocity /m  $s^{-1}$ 

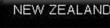
- (Department of Mechanical Engineering NYU)
  Raichel, D.R. "The Science and Applications of Acoustics" (2000).
  Springer-Verlag New York Inc
- Blevins, R. D. (1990) "Flow-induced Vibration". Van Nostrand Reinhold.



- $f_S = \frac{0.2V}{d}$
- Circular motion: Period of rotation  $T_r/s$

$$V = \frac{2\pi r}{T_r}$$

$$\therefore f_s = frequency \ of \ shedding = \frac{0.2 \times 2\pi r}{dT_r}$$



- Range of frequencies along the string
- Continuously variable with radius

• 
$$f_S = \frac{0.2 \times 2\pi r}{dT_r}$$

Took maximum values



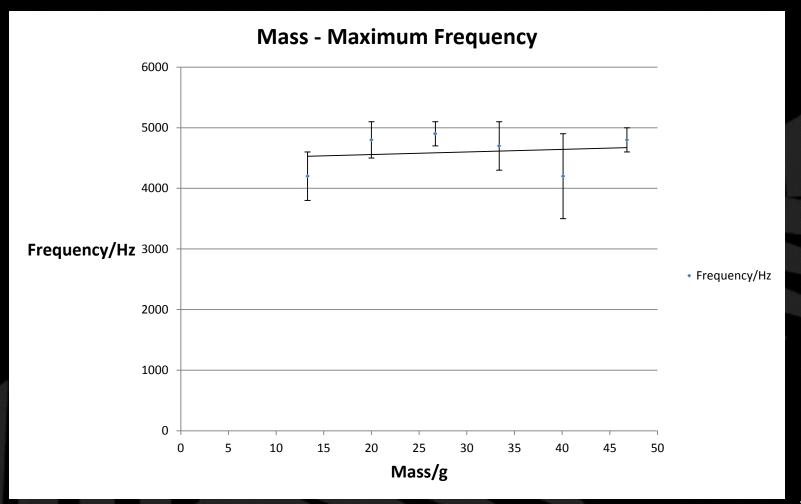
### Mass

• 
$$f_S = \frac{0.2 \times 2\pi r}{dT_r}$$

 Varied the mass by adding masses to the end of the string



### Mass



# Speed of Rotation

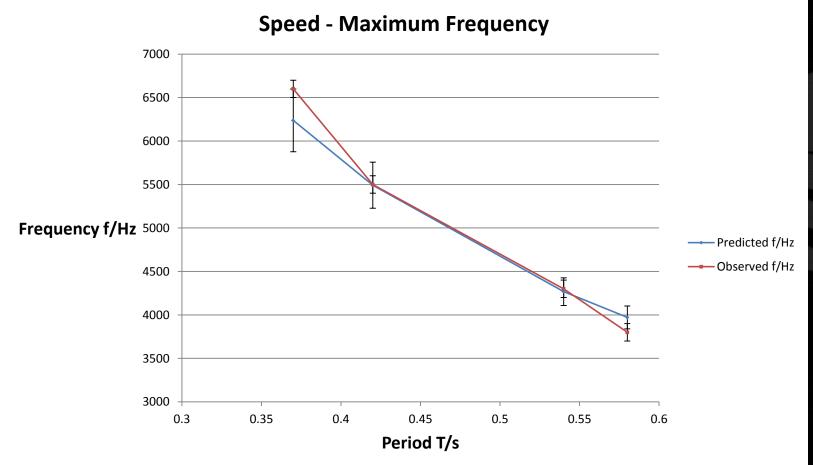
• 
$$f_S = \frac{0.2 \times 2\pi r}{dT_r}$$

Standardised mass, string diameter, radius – varied period



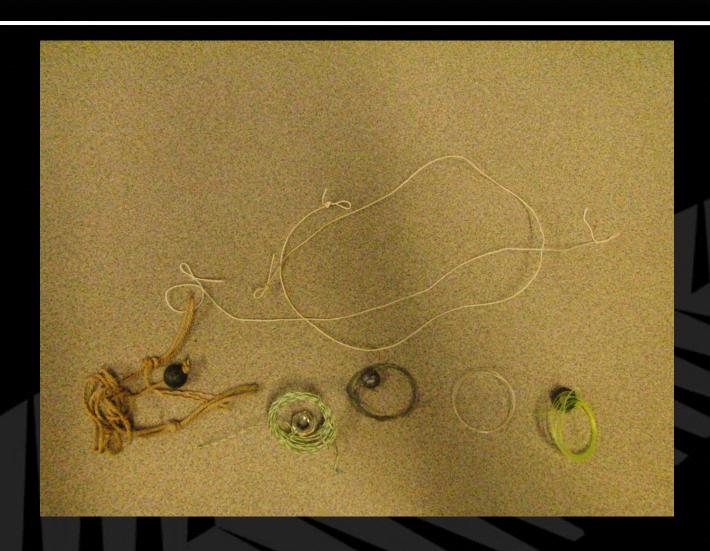
### Speed of Rotation

For thread[FLB], r=1.005m, d=0.00054m,

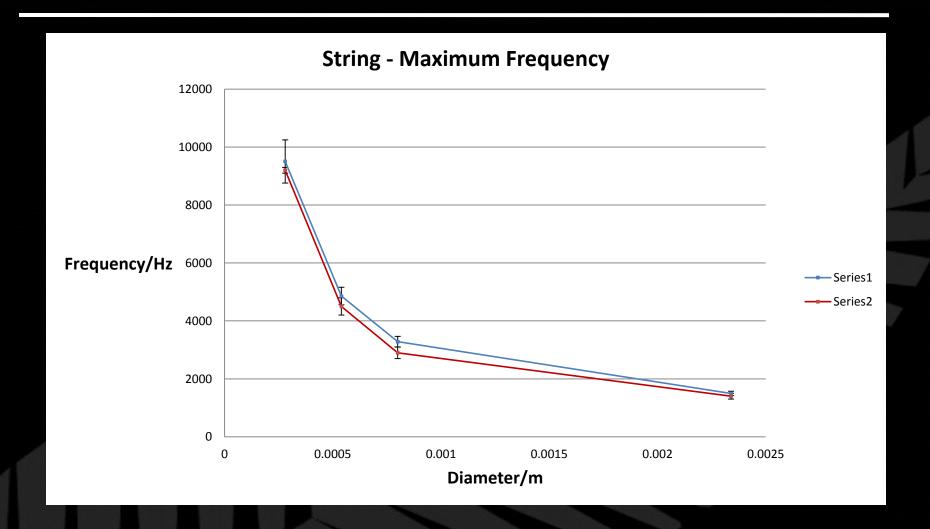


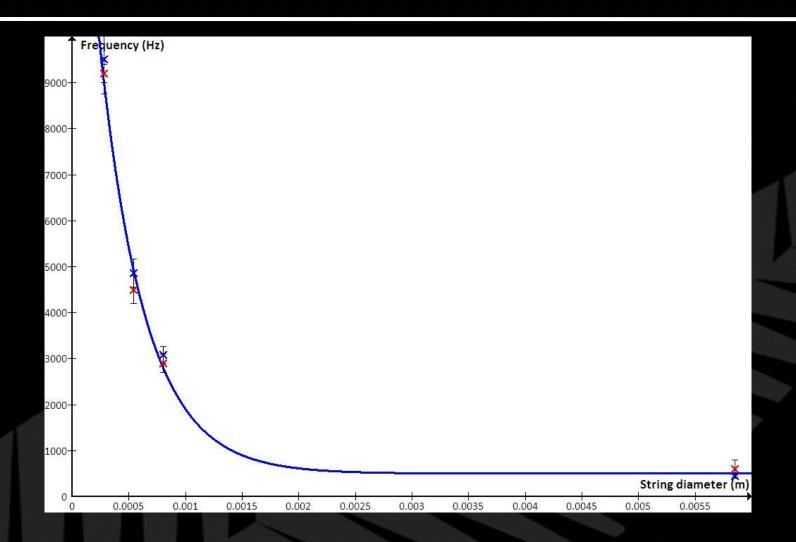
• 
$$f_S = \frac{0.2 \times 2\pi r}{dT_r}$$

- Standardised mass, period, radius varied string diameter
- Tested 11 different strings, but some gave no observable sound: plotted observable results









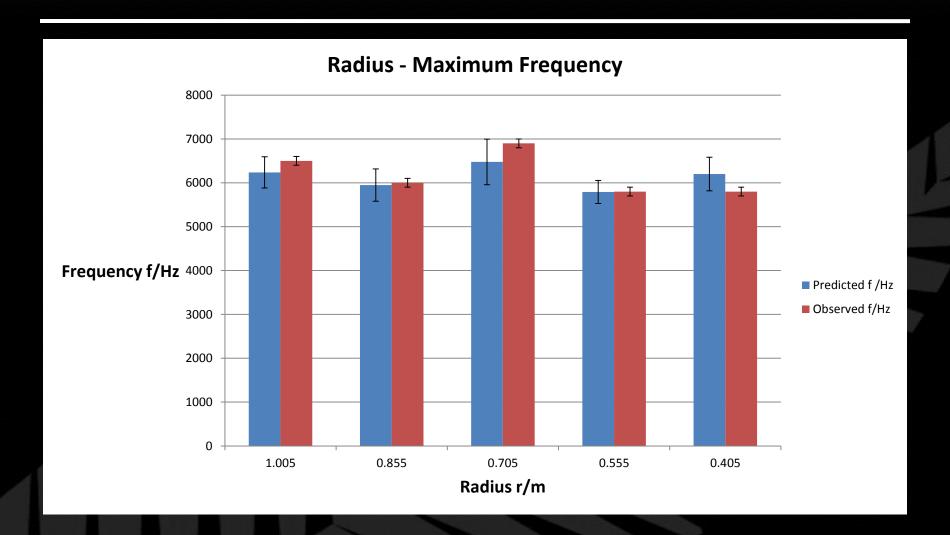
#### Radius

• 
$$f_S = \frac{0.2 \times 2\pi r}{dT_r}$$

- Standardised mass and string diameter
- Due to difficulty with machine, impossible to standardise period – measured instead.



### Radius





#### Conclusions

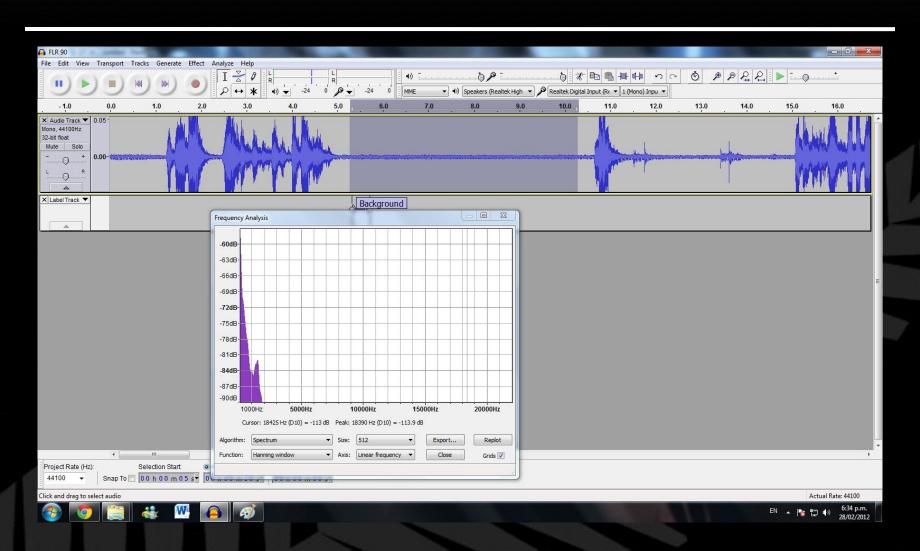
- Distinctive noise from thread high-pitched whistle
- Mixture of frequencies
- Created not by standing waves, but by vortex shedding
- Affected by linear speed of rotation, thread diameter, radius of spin
- Independent of mass

• 
$$f_S = \frac{0.2 \times 2\pi r}{dT_r}$$

# Thank you for listening

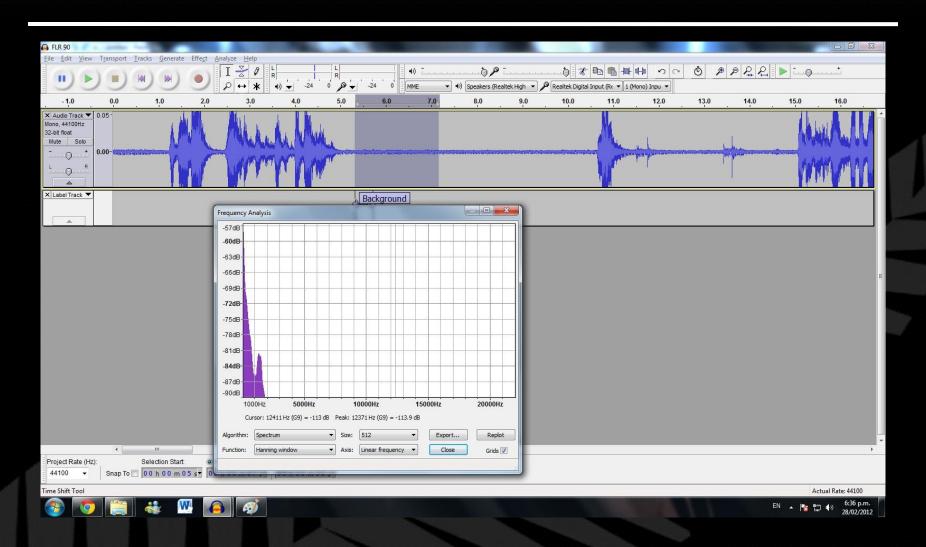


#### Background Noise 1/6



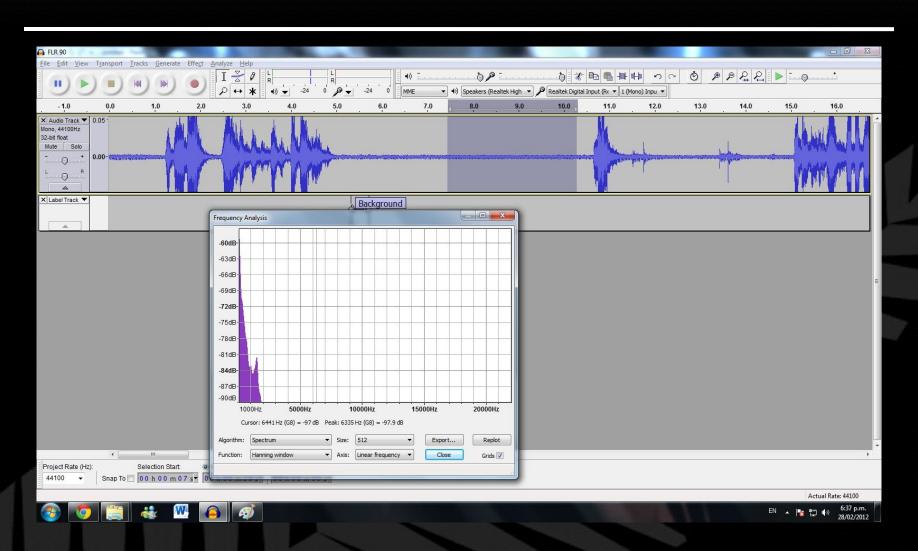


### Background Noise 2/6



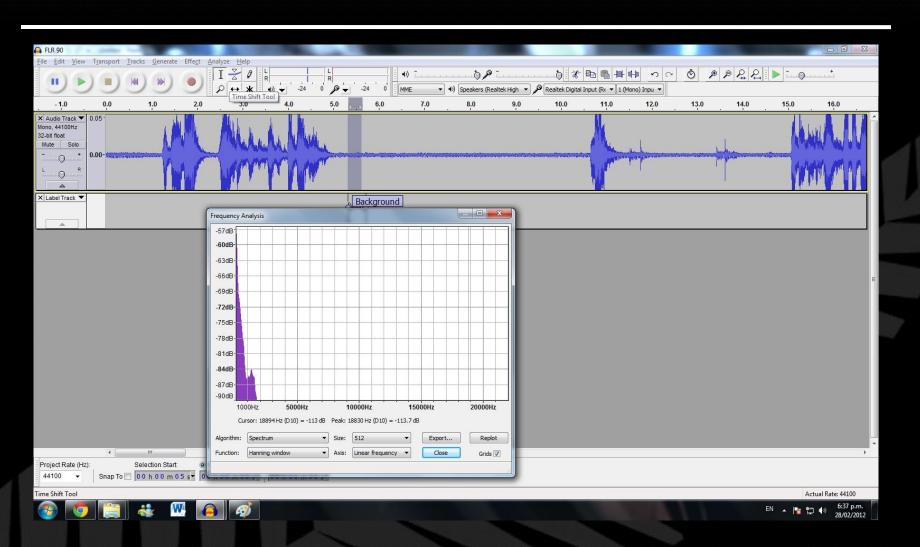


# Background Noise 3/6



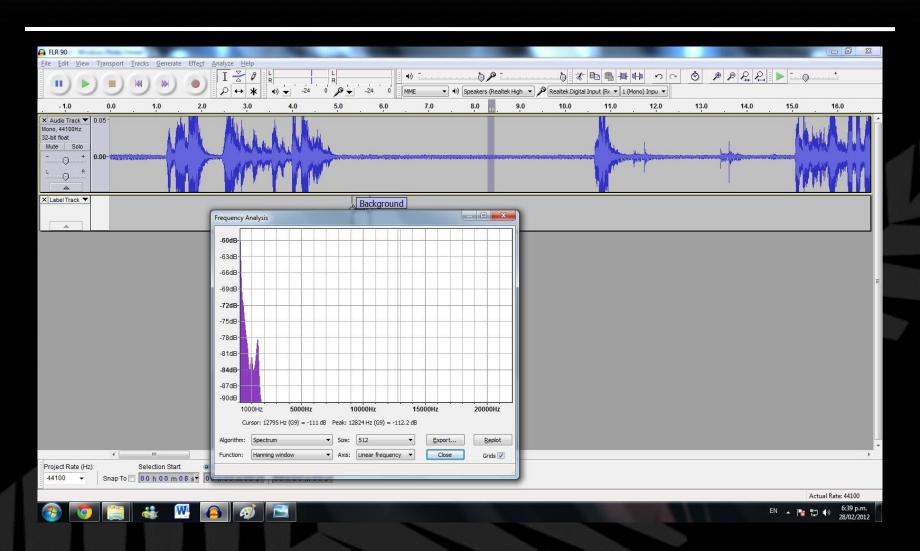


# Background Noise 4/6



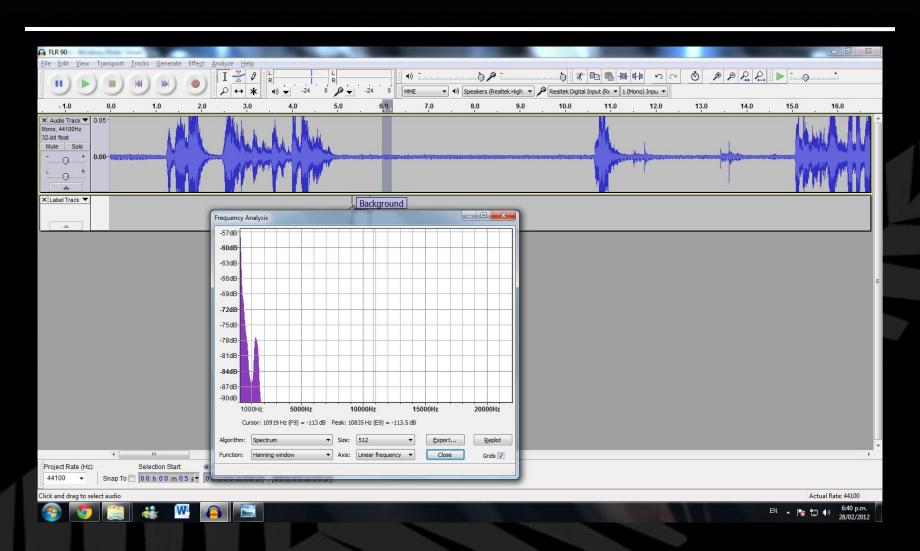


# Background Noise 5/6





# Background Noise 6/6





- $Sr = \frac{fd}{V} = 0.198(1 \frac{19.7}{Re})$
- $Re = Vd \div \frac{\mu}{\rho}$  where  $\frac{\mu}{\rho}$  =kinematic viscosity
- $f = 0.198 \frac{V}{d} (1 \frac{19.7}{Vd} \times \frac{\mu}{\rho})$



- (Department of Mechanical Engineering NYU)
  Raichel, D.R. "The Science and Applications of Acoustics"
  (2000). Springer-Verlag New York Inc
- Blevins, R. D. (1990) "Flow-induced Vibration". Van Nostrand Reinhold.
- Kaneko, Nakamura, et al. (2008) "Flow-induced vibrations: classifications and lessons from practical experiences". Elsevier Ltd.
- http://www.grc.nasa.gov/WWW/BGH/reynolds.html
- http://www.engineeringtoolbox.com/air-absolutekinematic-viscosity-d\_601.html
- http://www.essom.com/backend/datafile/engineer/engin12\_1.pdf

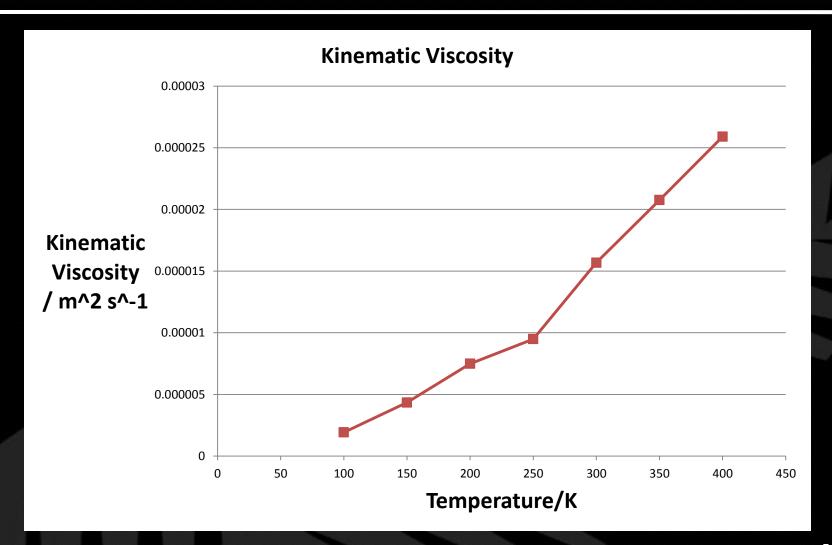
- Whether surface is smooth or rough makes no difference provided Re<2  $\times$  10<sup>5</sup>. Ours  $\approx$  700
- $Re = Vd \div \frac{\mu}{\rho}$
- Kinematic viscosity of air =  $15.6 \times 10^{-6} m^2 s^{-1}$
- $Re = 2\pi r(rps)d \div 15.6 \times 10^{-6}$
- $= 2\pi \times 1.01 \times 3 \times 0.54 \times 10^{-3} \div 15.6 \times 10^{-6}$
- = 659



- Laminar flow: Re<2000 (for flow in a pipe)</li>
- Vortex Shedding occurs at Re>90

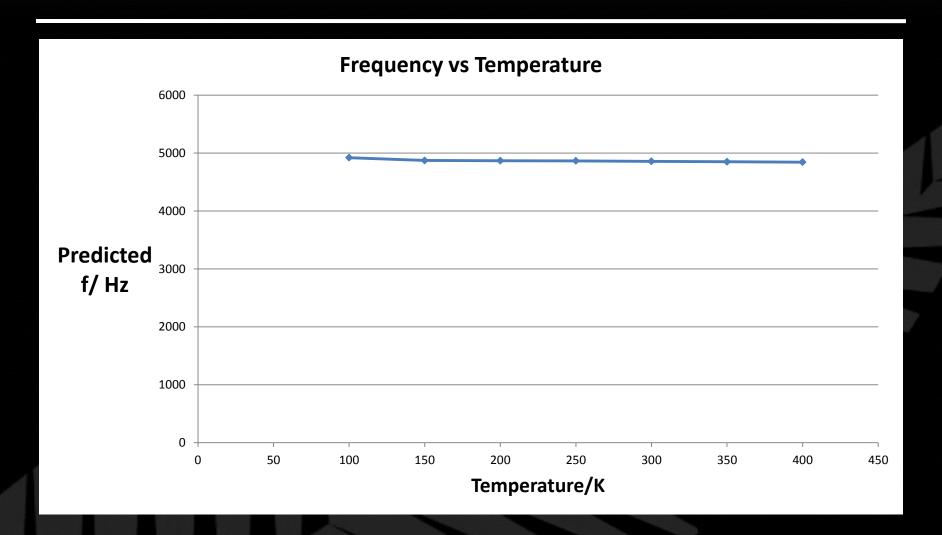


#### Temperature





#### Temperature



# Verifying Audacity

- Only available program
- Googled others but they were all hundreds of dollars



# Verifying Audacity

- Tested that frequency analysis is working
- Made recordings of instruments at known notes and analysed them
- Clarinet, violin, tuning forks. Single notes and chords
- Audacity gave the correct frequencies



#### Sound Level

- Very quiet, barely shows up on spectograms
- No access to calibrated instrument

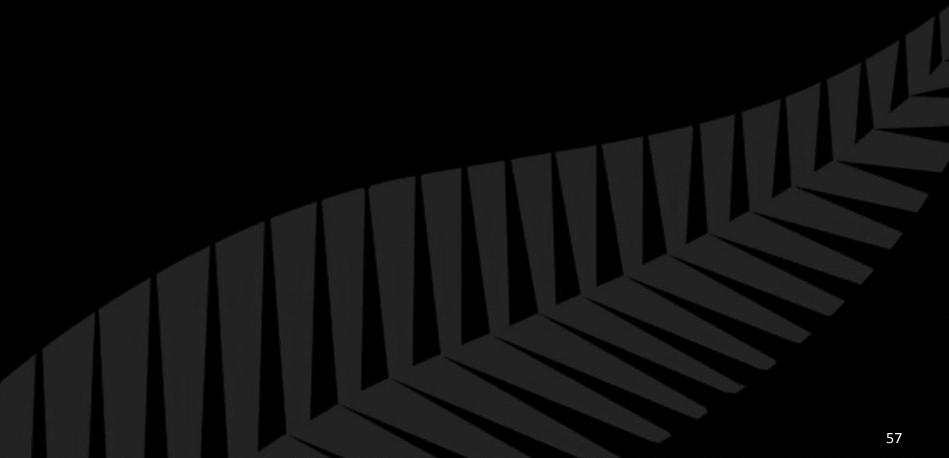
 Decibel scale is not absolute, but relative – often uses reference point of threshold of human hearing



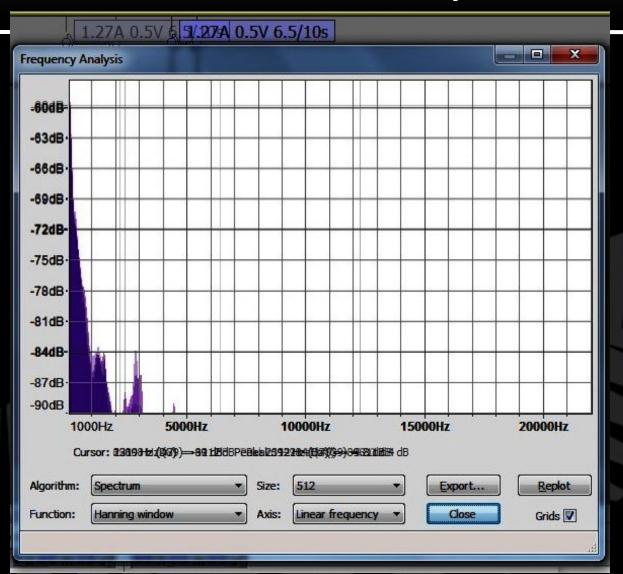
#### Sound Level

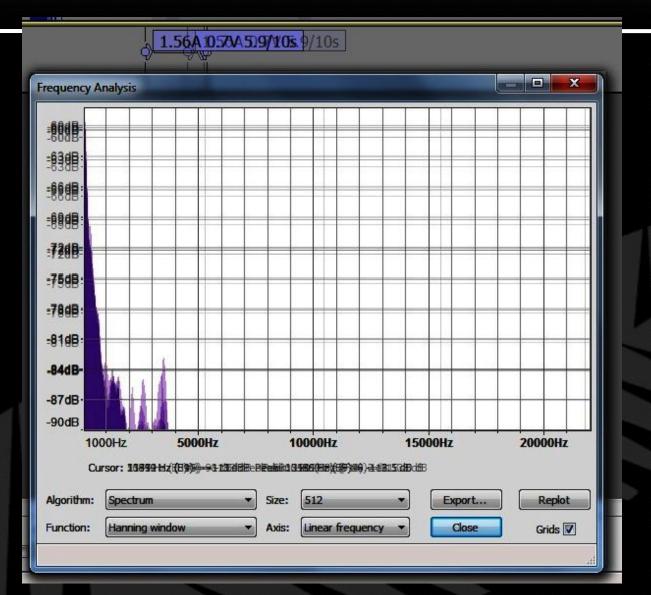
- Impossible with computer program, as input signal varies with microphone. Uses maximum possible reading; unsure how it relates to physical properties eg intensity, sound pressure level.
- 2 ways to look at sound level: by ear and program's relative dB

By ear: clearly louder as speed increases

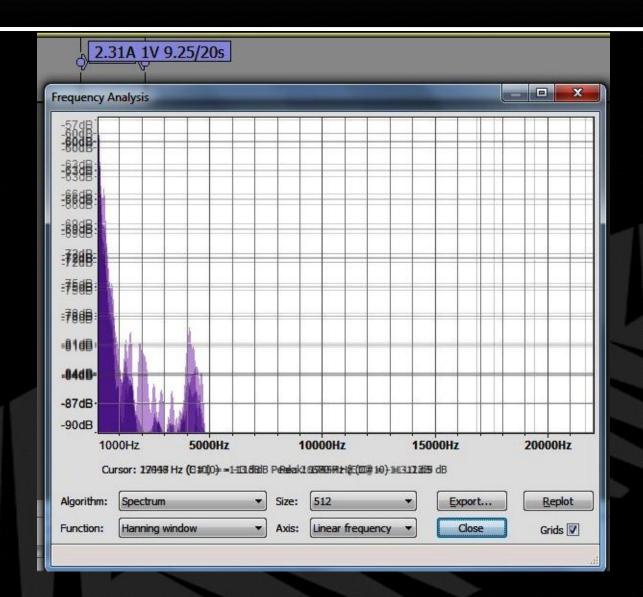




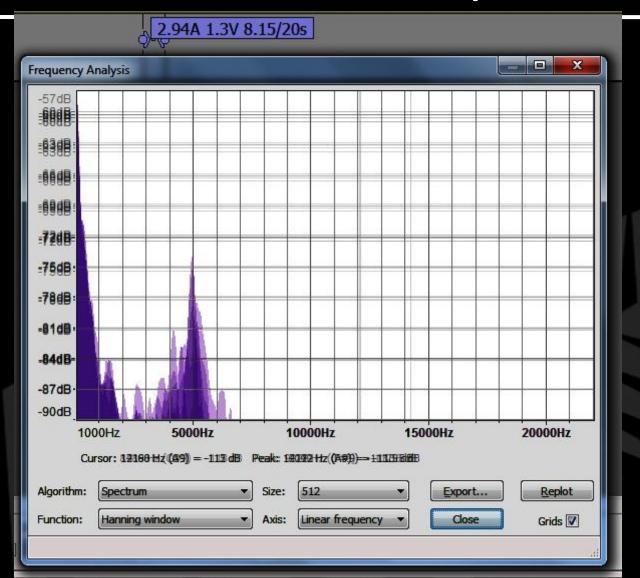








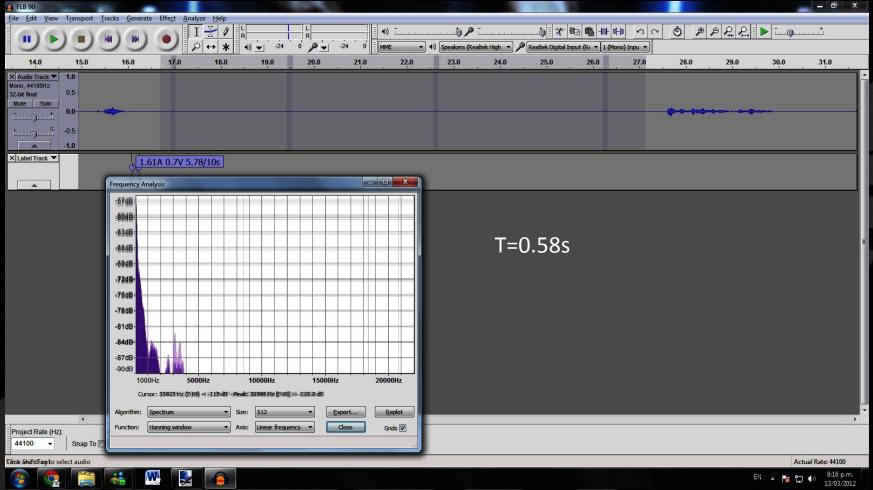






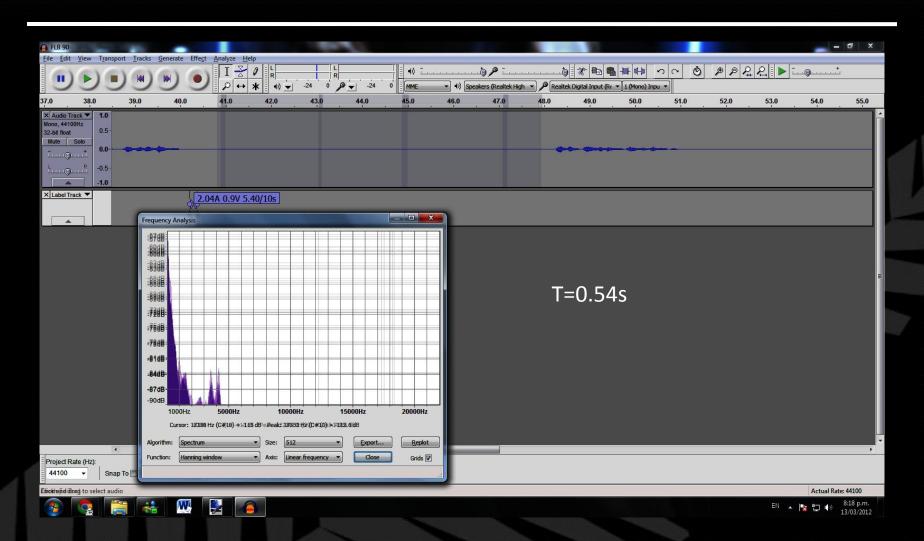
# Speed 1/4

Standardised mass, string, length



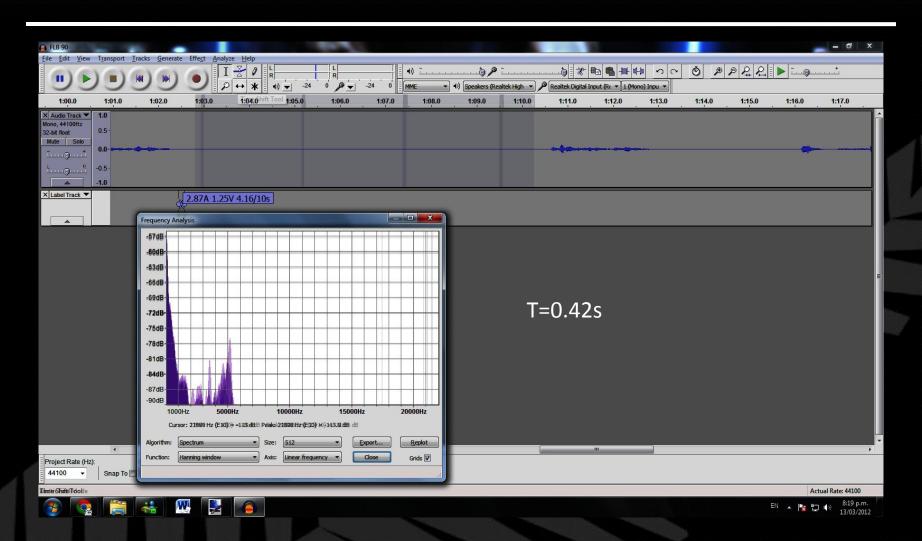


# Speed 2/4



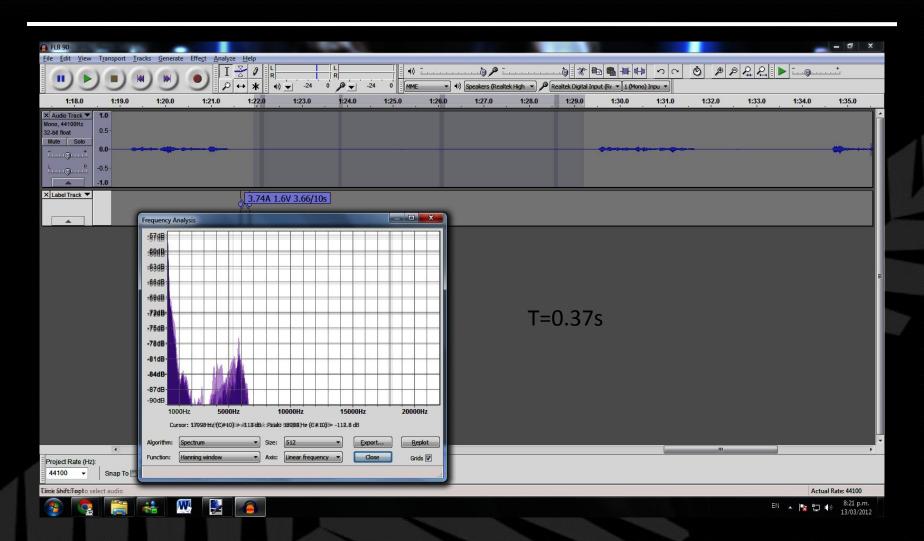


# Speed 3/4



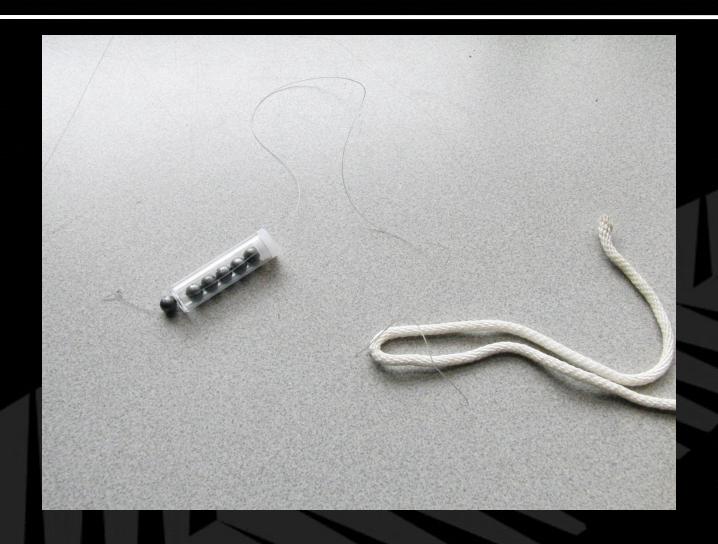


### Speed 4/4



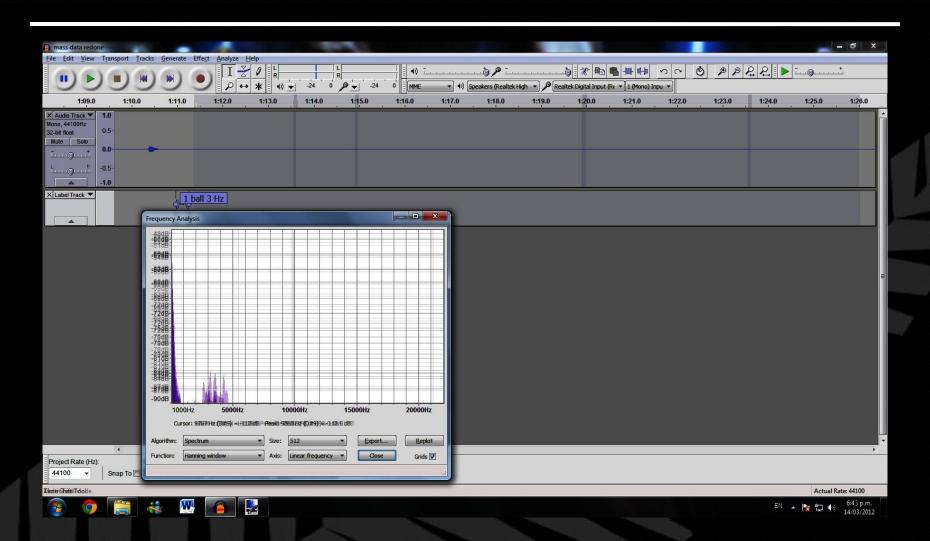


# Experiments - 1



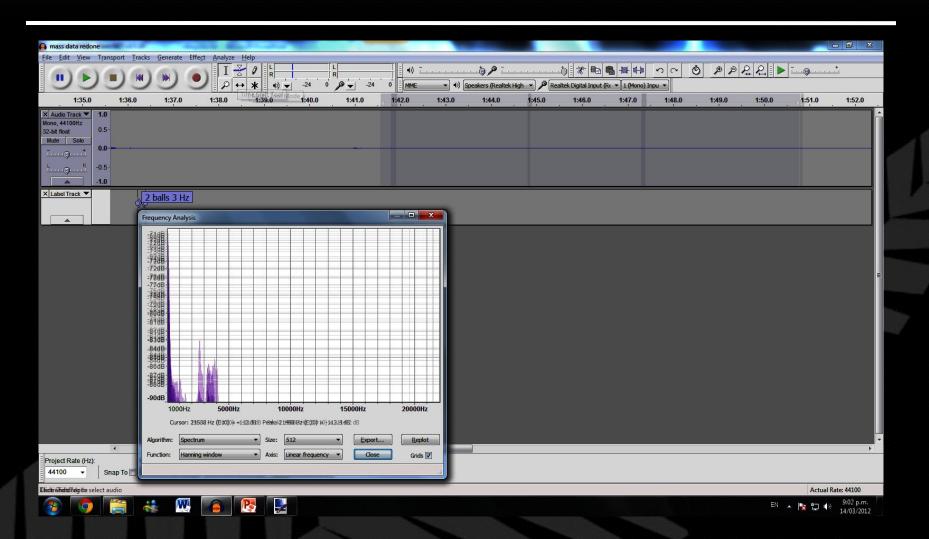


### Mass 1/6



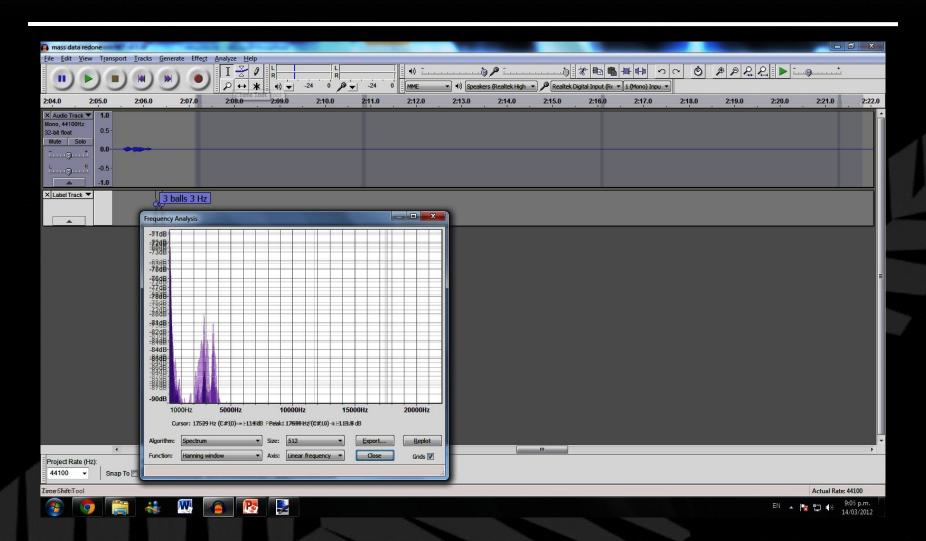


# Mass 2/6



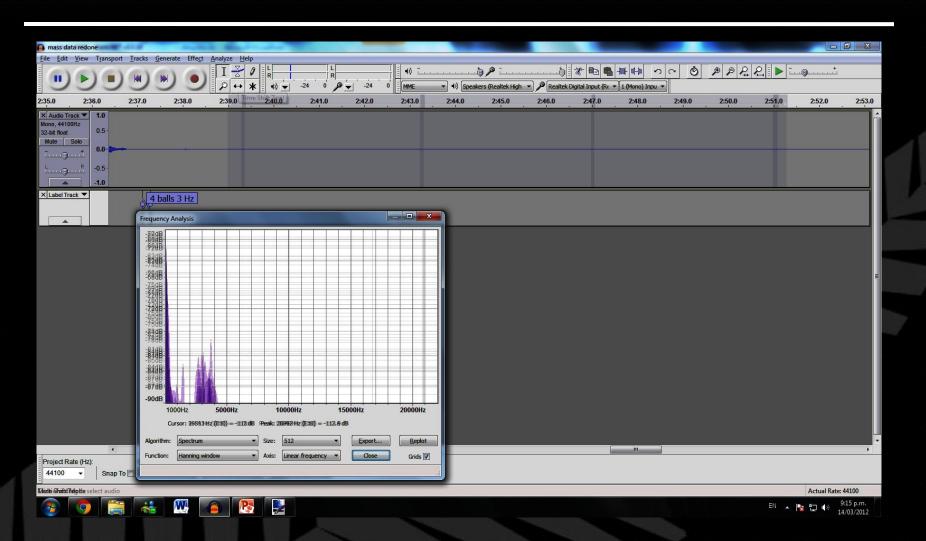


# Mass 3/6



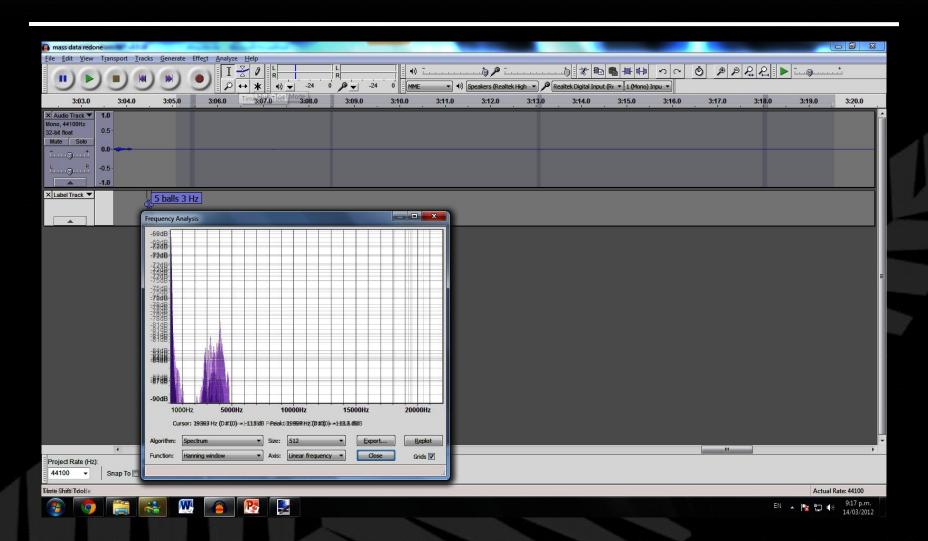


### Mass 4/6



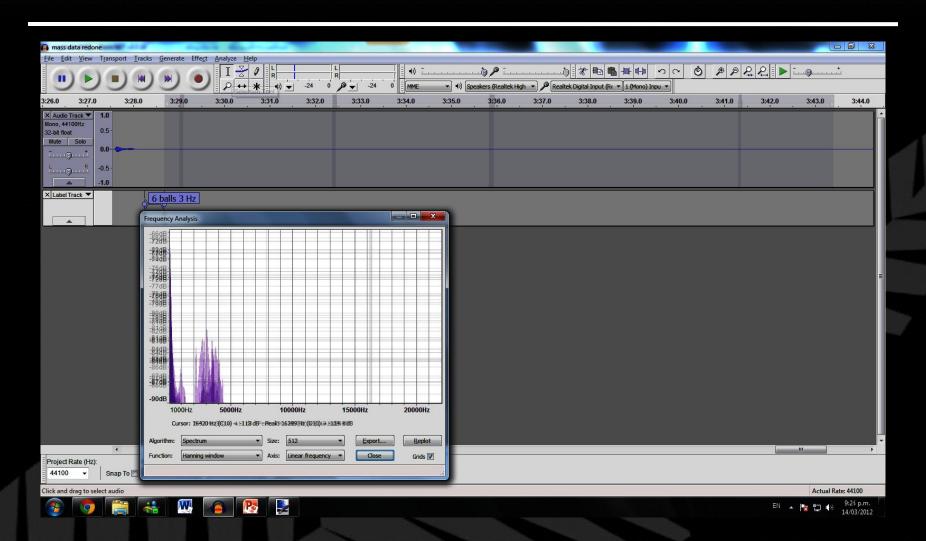


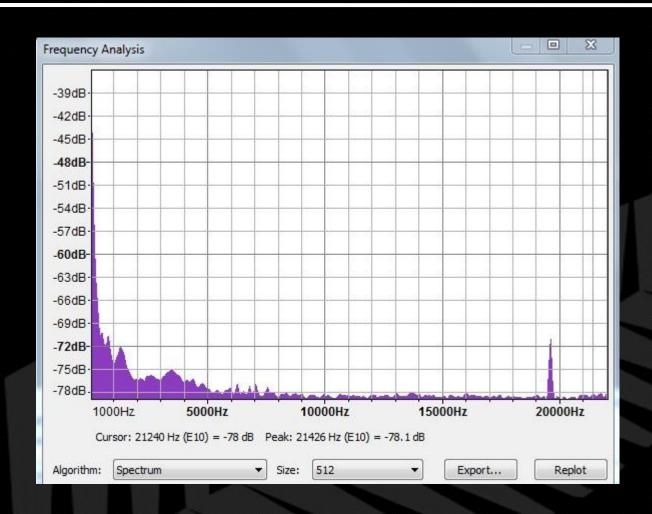
# Mass 5/6

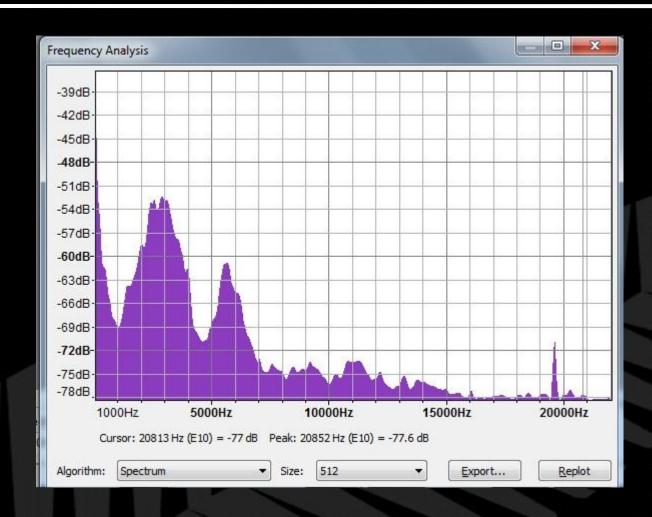


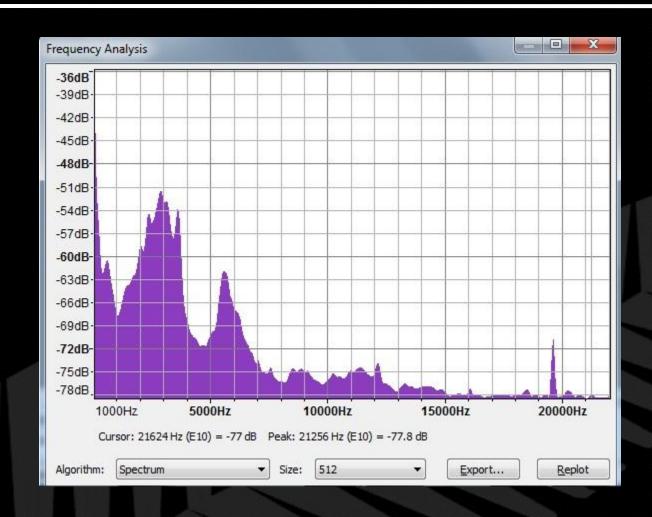


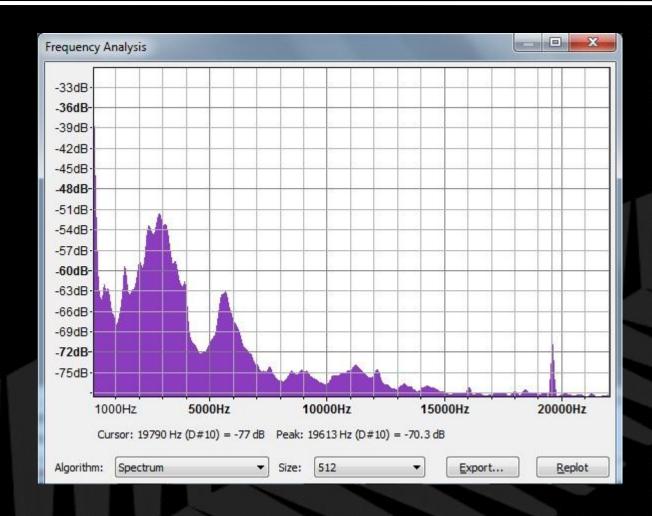
### Mass 6/6





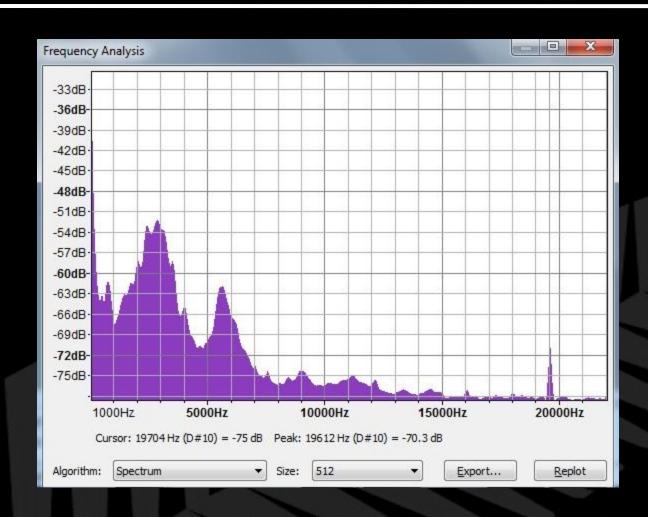






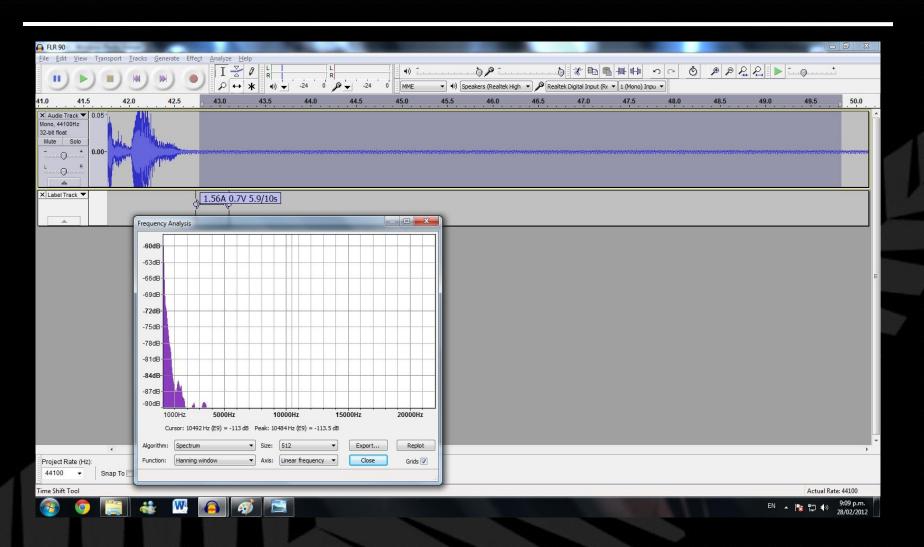


# 2<sup>nd</sup> Mass Test



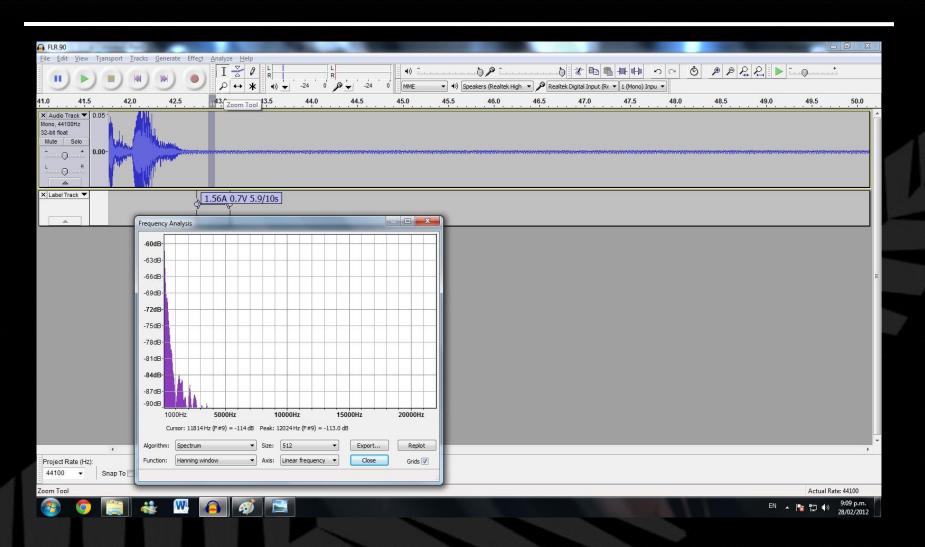


## Layering 1/6



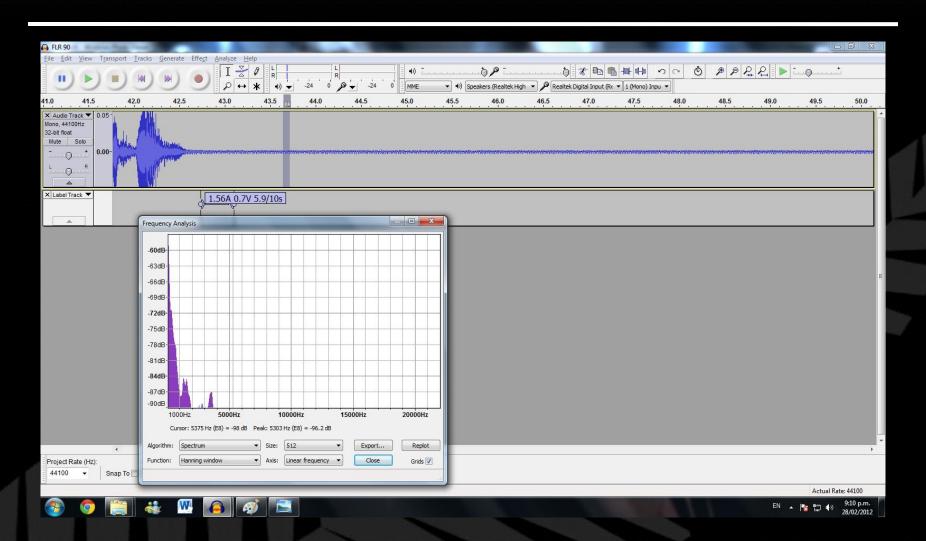


## Layering 2/6



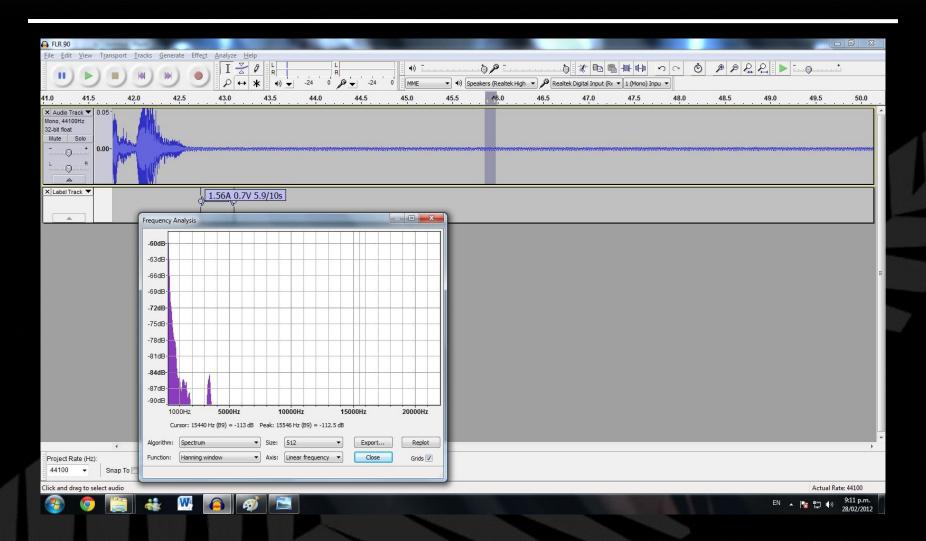


# Layering 3/6



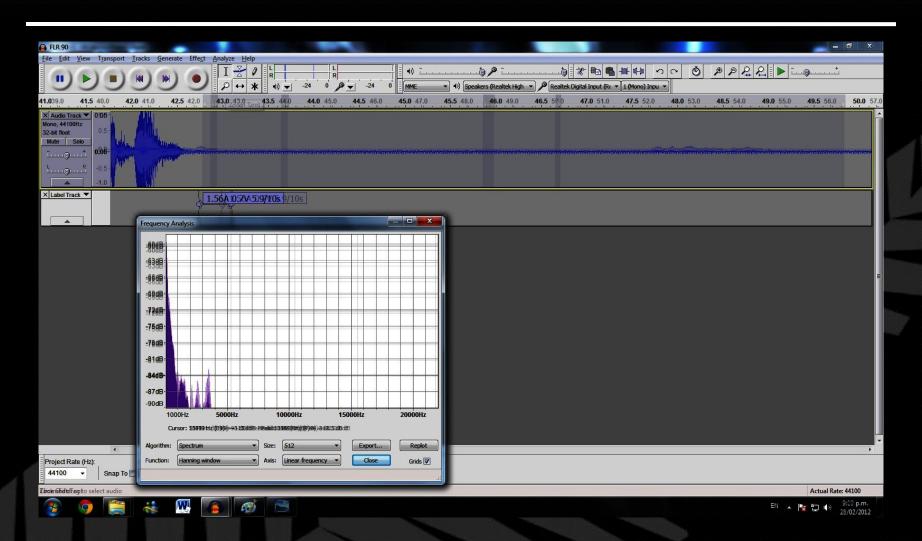


## Layering 4/6





## Layering 5/6



#### Experiments - 1

- Problems: a) hard to keep constant  $\omega$
- b) especially while taking measurements need helpers.
- c) Holding microphone pulse
- d) Hurts hand used handle

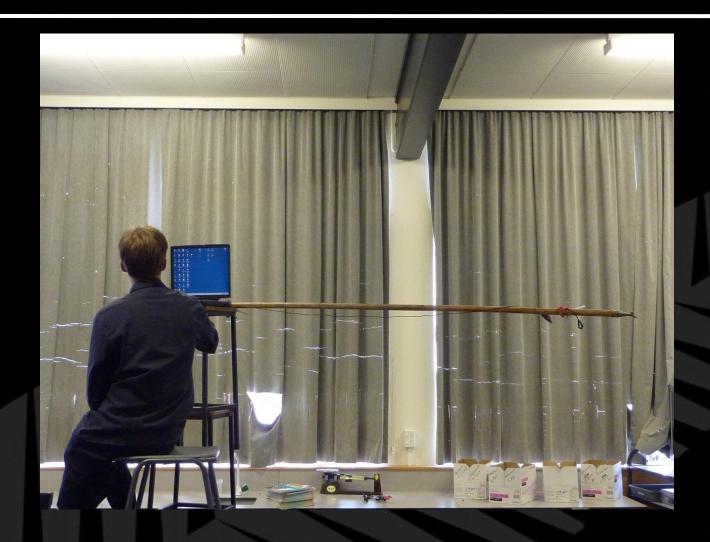
#### Experiments - 2

- Motor
- Thread wraps around axle: it spins too fast.

# Exp 3 Setup





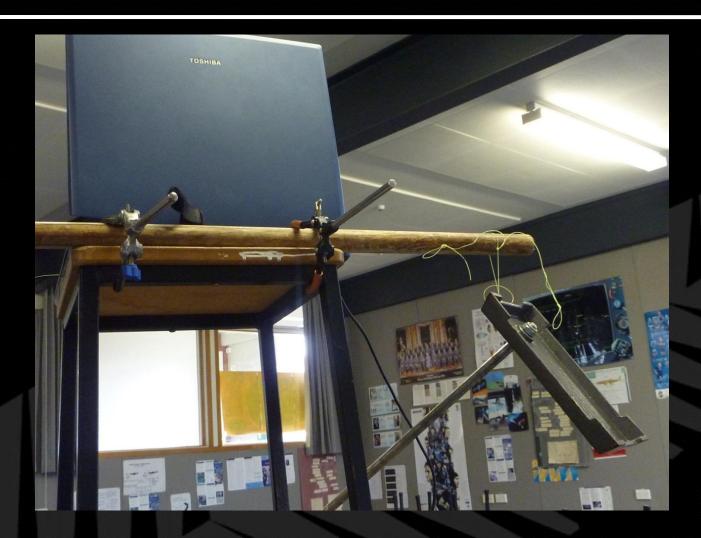










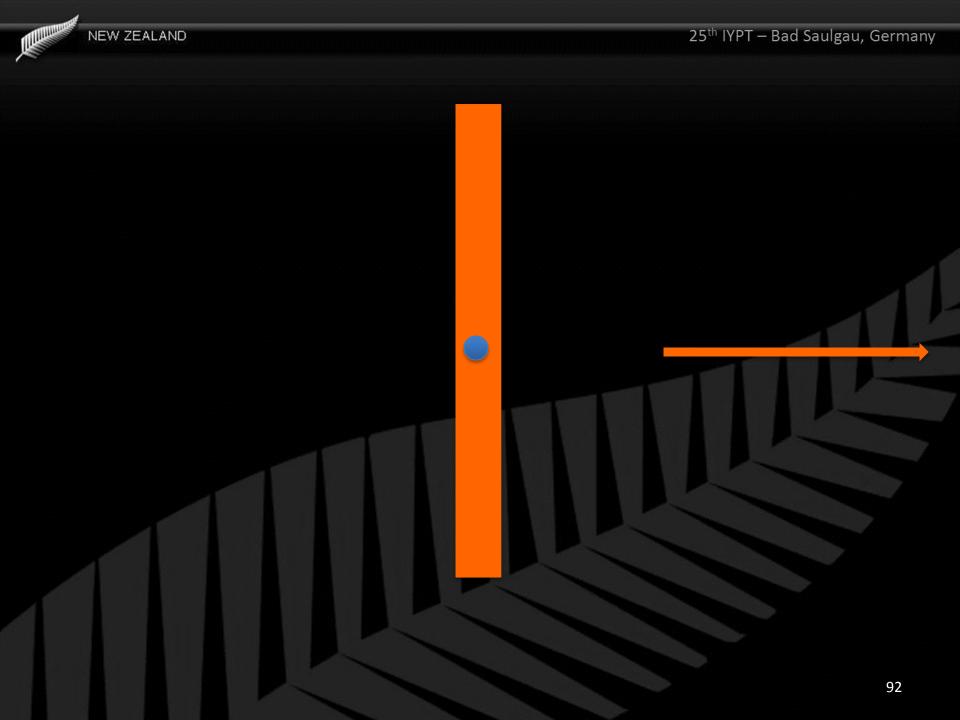


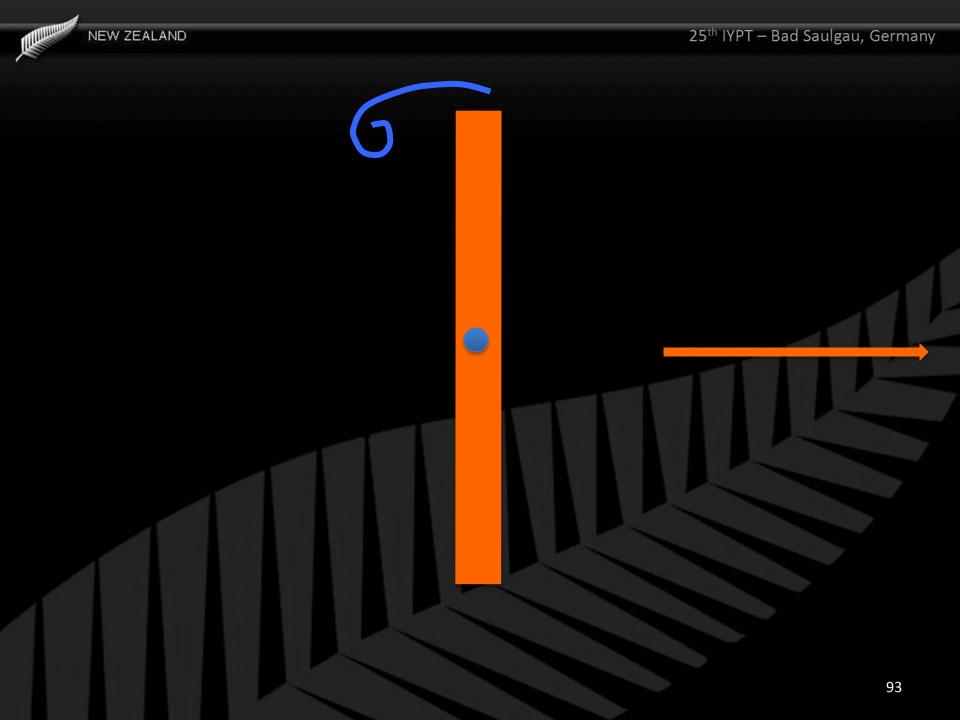
#### String Diameter

- Predict  $f \propto \frac{1}{d}$
- Tested with threads and 2 ropes. Mean diameters:
  - 1 (RB) 0.19mm
  - 2 (FLR) 0.28mm
  - 3 (FLB) 0.54mm
  - 4 (Badm) 0.80mm
  - 5 (EdgG) 1.97mm
  - 6 (EdgO) 2.34mm
  - 7 (RpThn) 4.08mm
  - 8 (RpThck) 5.85mm

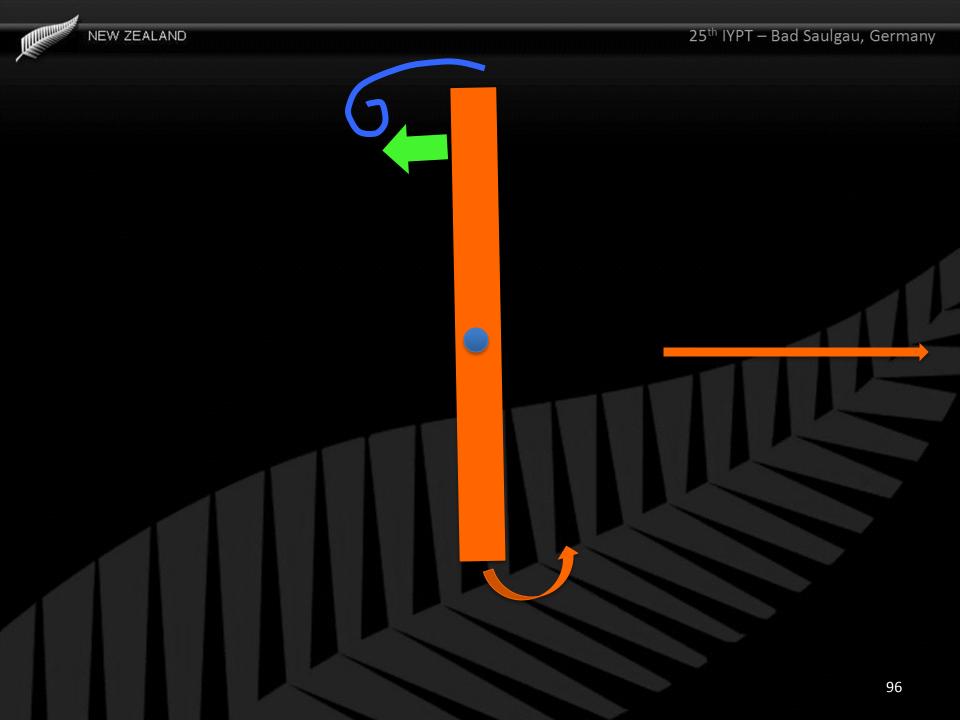
#### Mass Noise

- Flat/irregular mass spins as it moves through the air
- Changing the shape and dimensions of the mass creates different pitches of noise

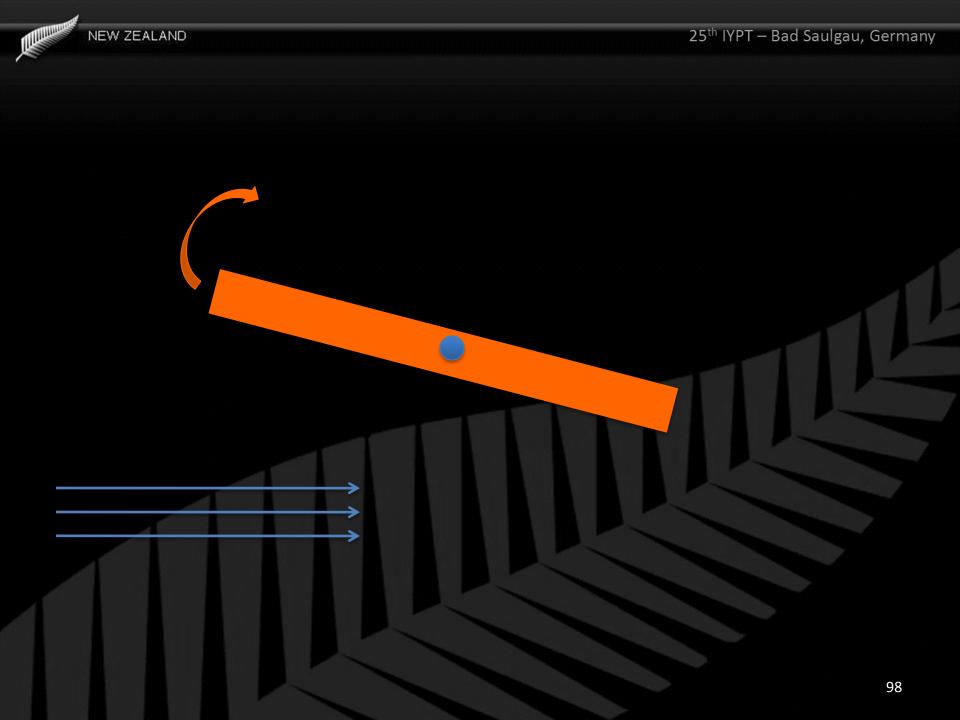


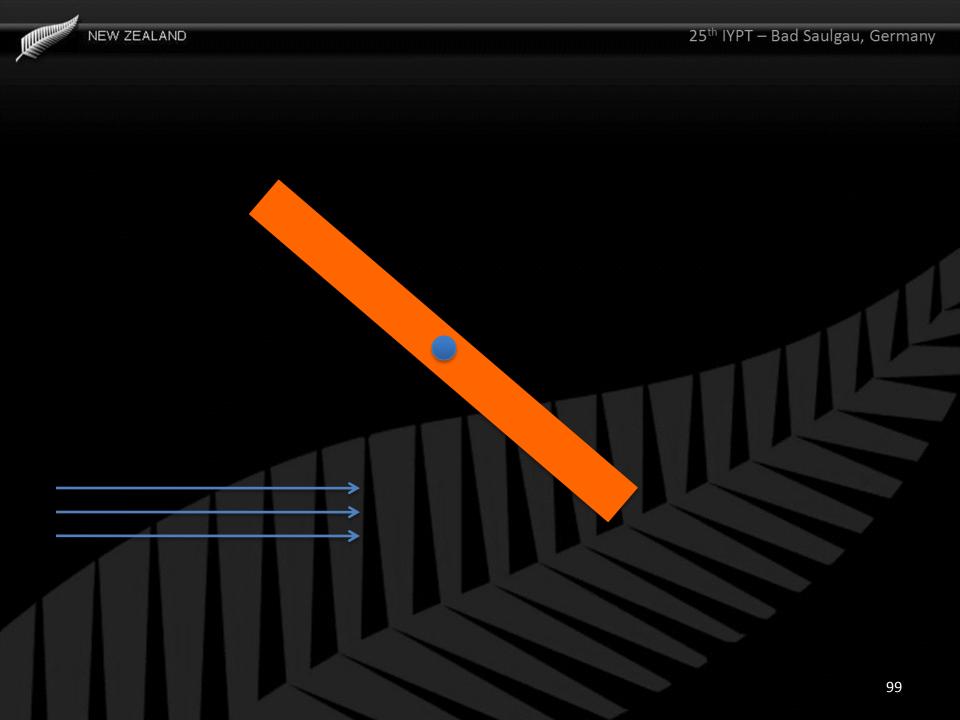


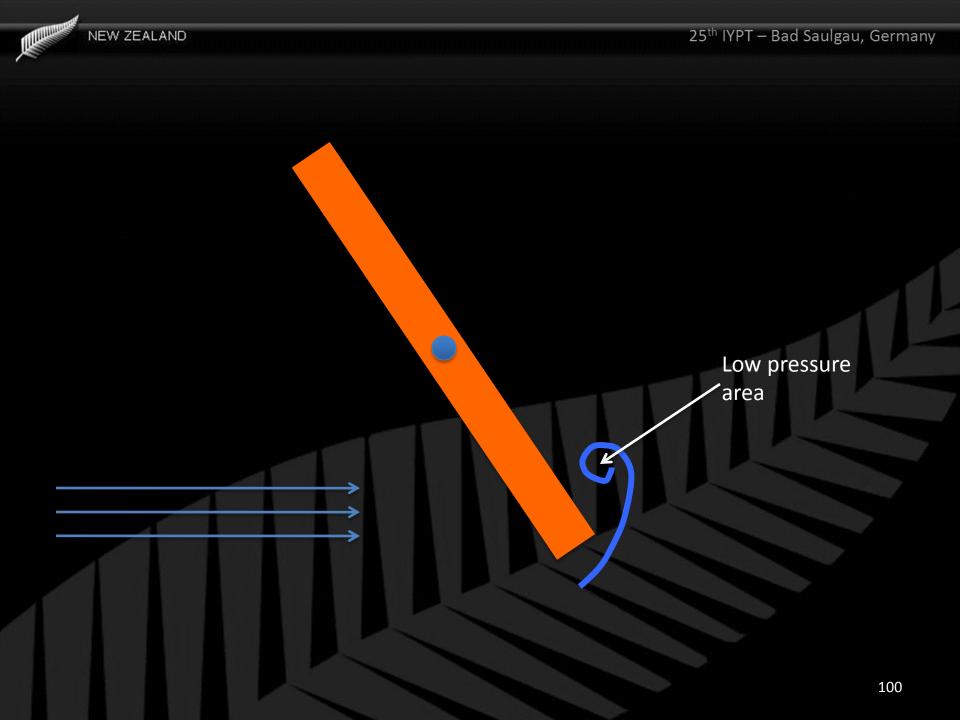
NEW ZEALAND

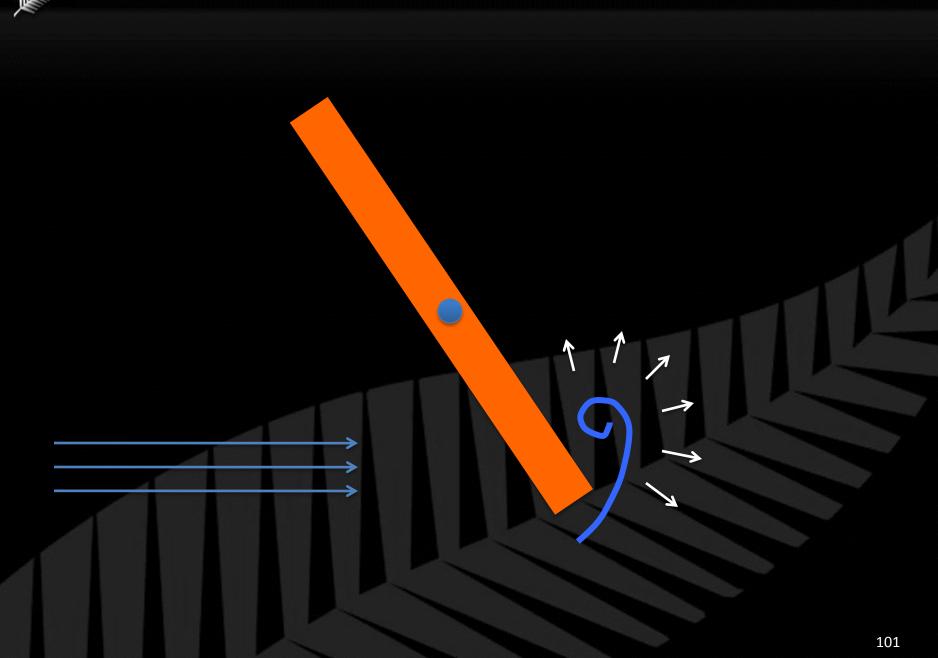


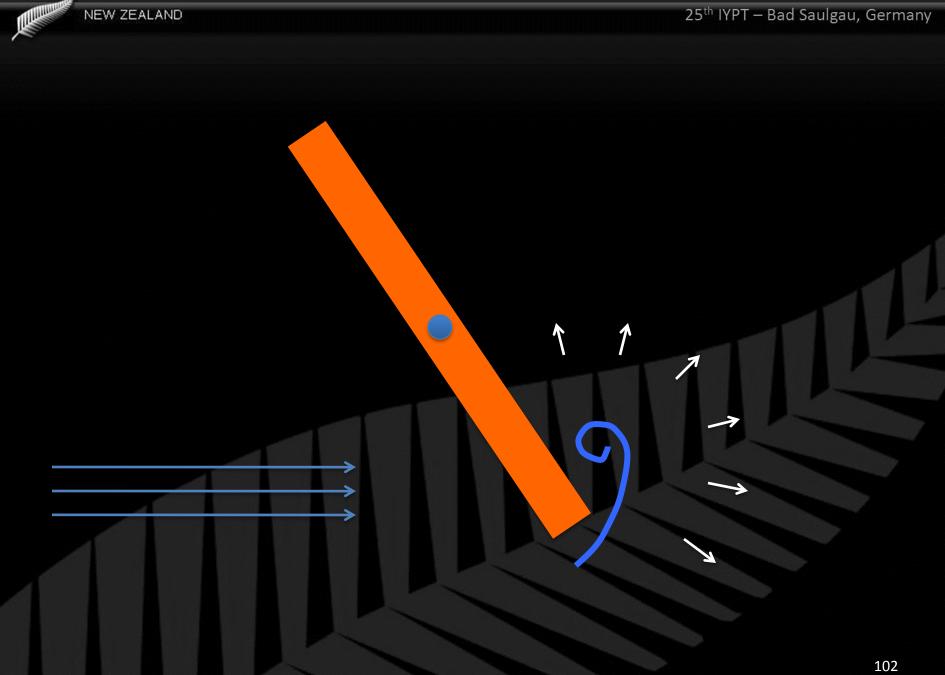


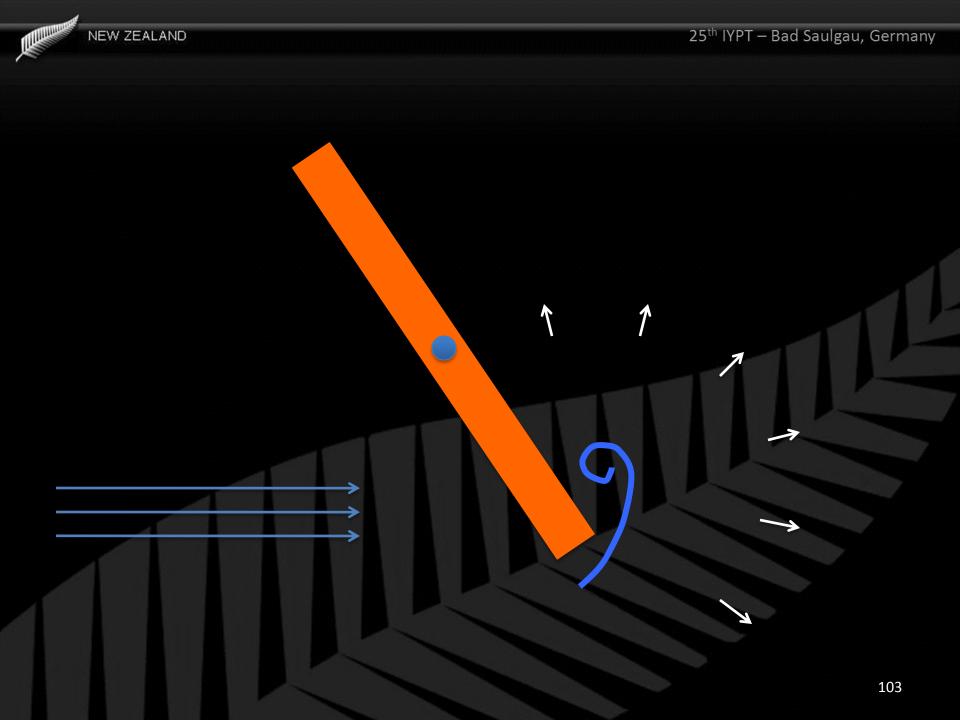






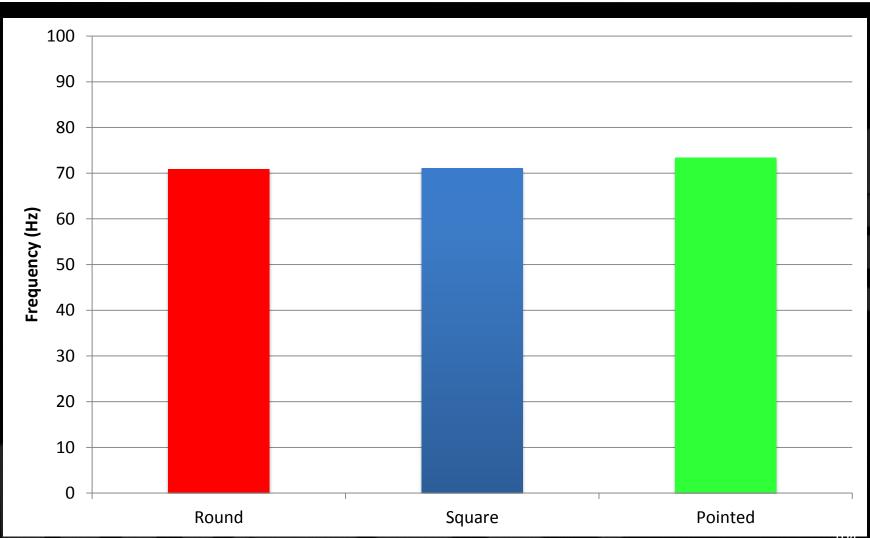






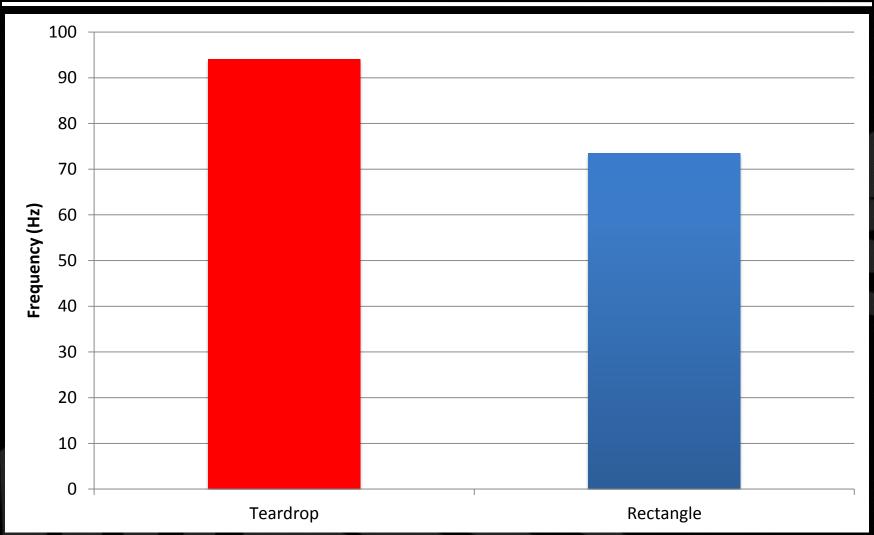


# Edges of Mass





## **Overall Shape**



#### Dimensions

